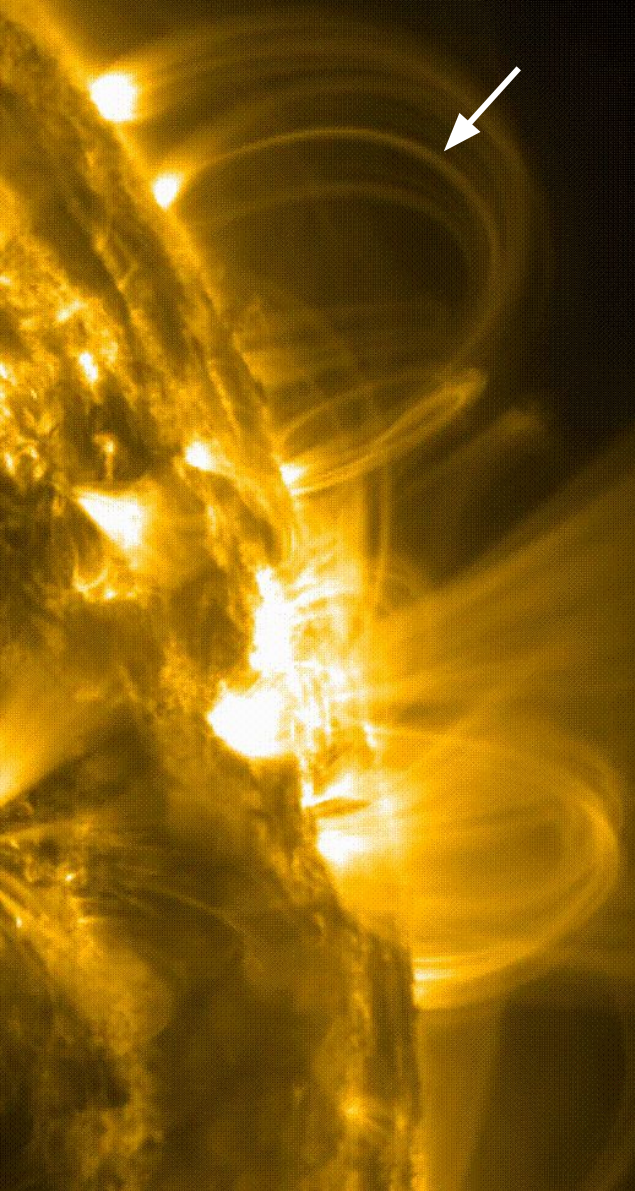


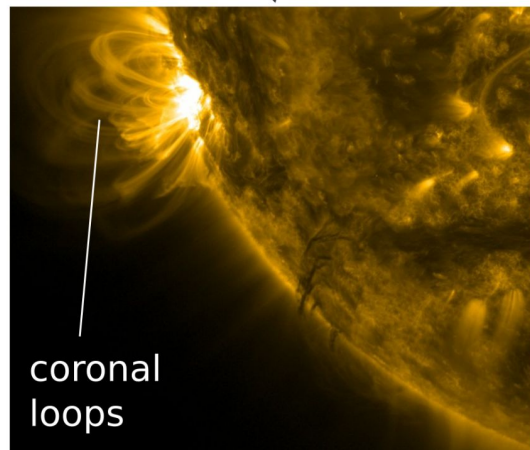
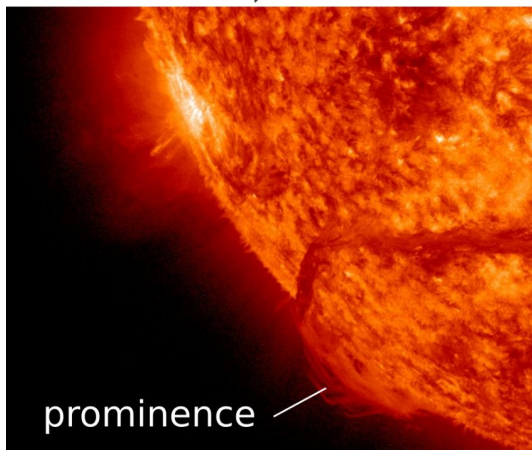
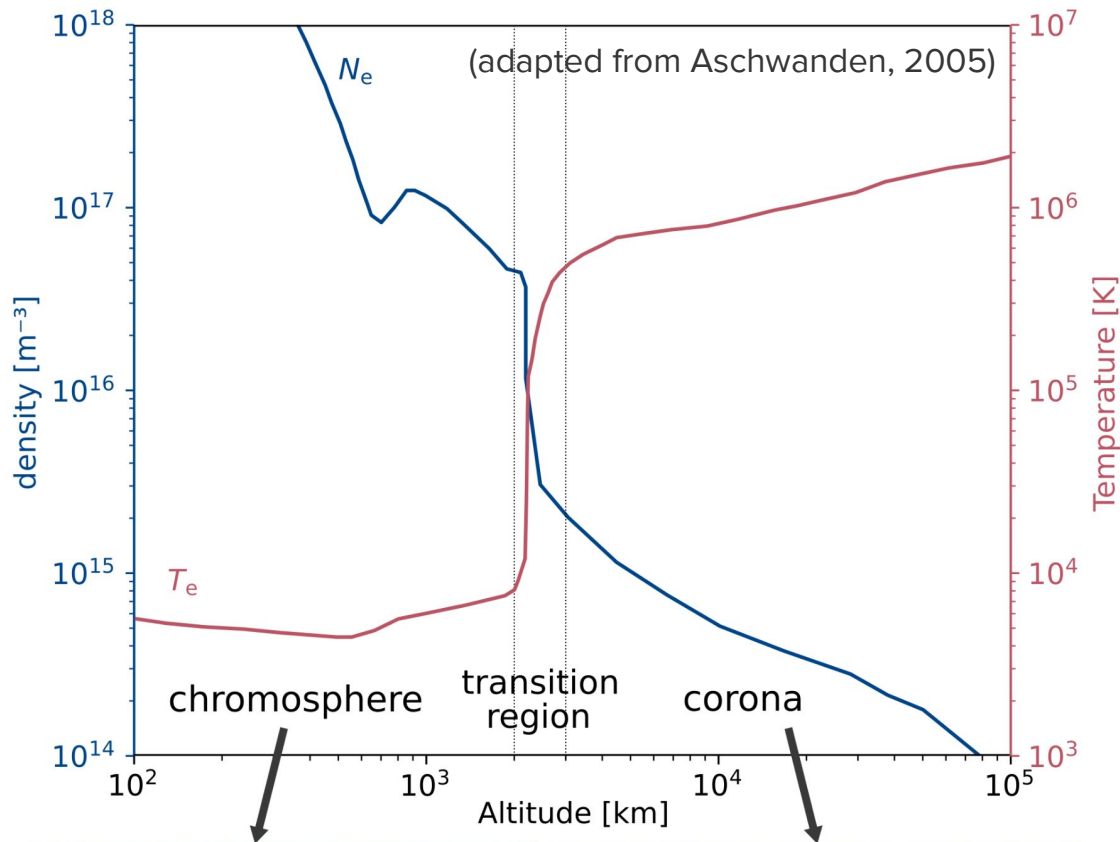
# Cut-off of transverse waves through the solar transition region



**G. Pelouze**, T. Van Doorselaere,  
K. Karamelas, J. M. Riedl,  
& T. Duckenfield

# The coronal heating problem

Density and temperature in the solar atmosphere:



→ How can we explain the heating of the solar corona?

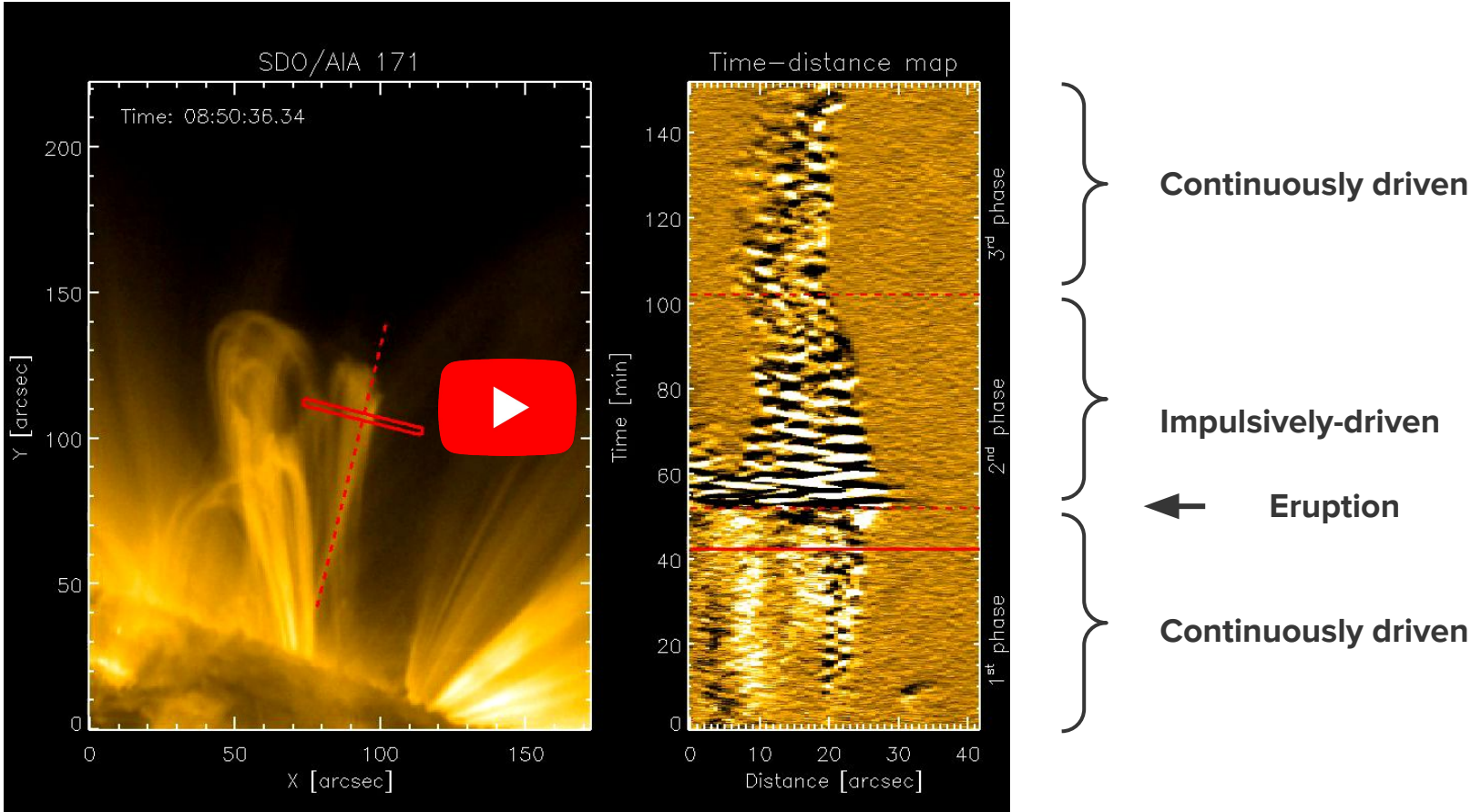
- Energy **source**: photospheric motion
- Energy is **transported** by the magnetic field, and **deposited** in the corona:
  - magnetohydrodynamic (MHD) waves,
  - magnetic reconnection,
  - mixed mechanisms.

We still don't know which mechanism is predominant

# Transverse waves are **widely observed** in the corona

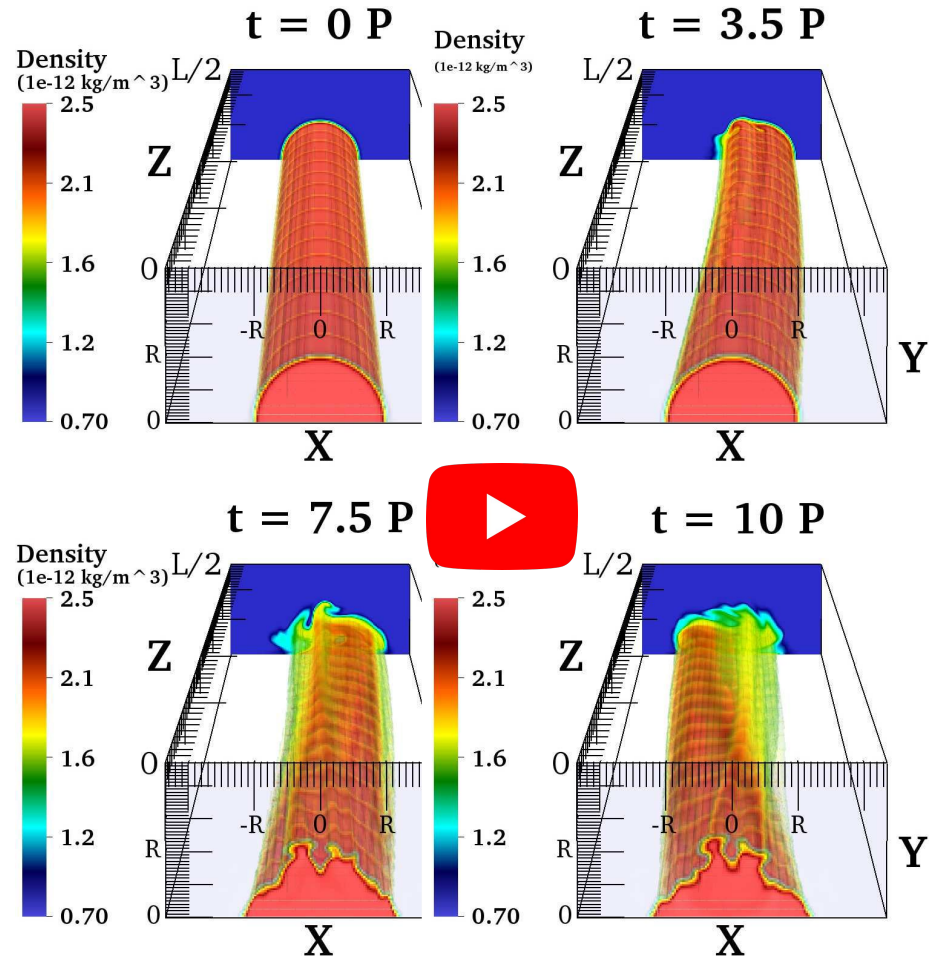
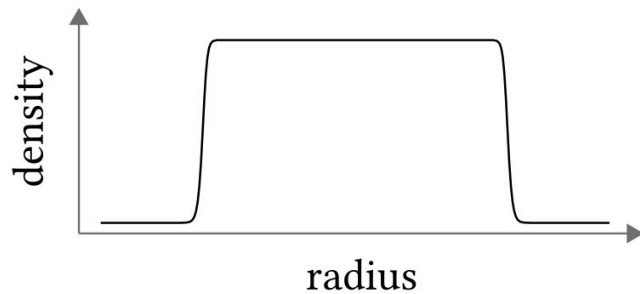
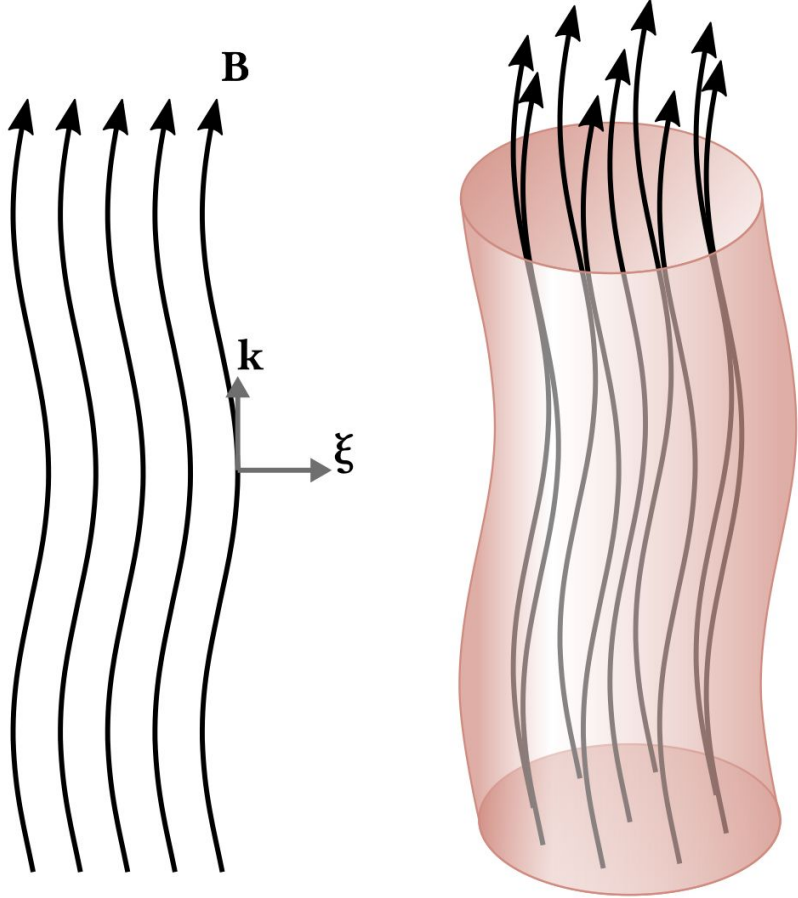
- **Propagating kink waves:**
  - o **In loops** (e.g. Tomczyk et al. 2007; Tomczyk & McIntosh 2009; Thurgood et al. 2014)
  - o **In open flux tubes** (Morton et al. 2015)
- **Standing kink waves:**
  - o **Impulsively excited:** decaying oscillations (e.g. Nakariakov et al. 1999; Van Doorselaere et al. 2007)
  - o **Continuously driven:** decayless oscillations (e.g. Wang et al. 2012; Nisticò et al. 2013; Anfinogentov et al. 2013, 2015)

Nisticò et al. (2013)



# What are these transverse waves?

**Alfvén waves** (magnetic tension)      **Kink waves** (mag. tension + density cylinder)

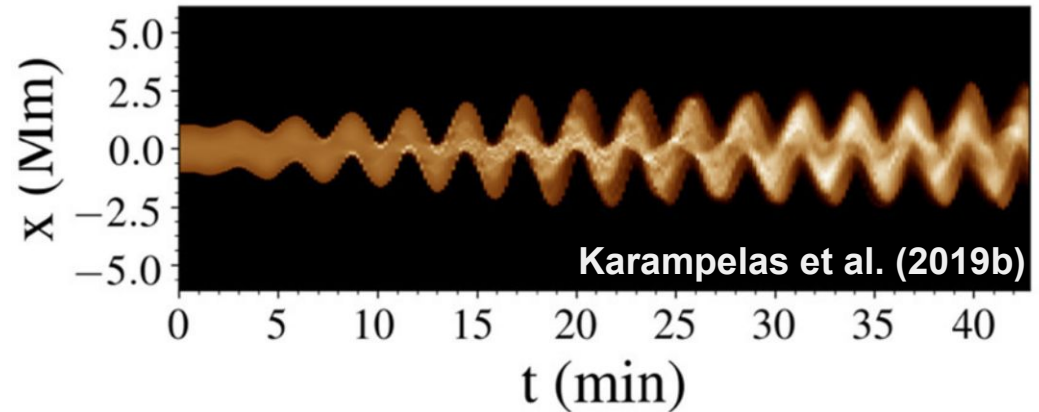
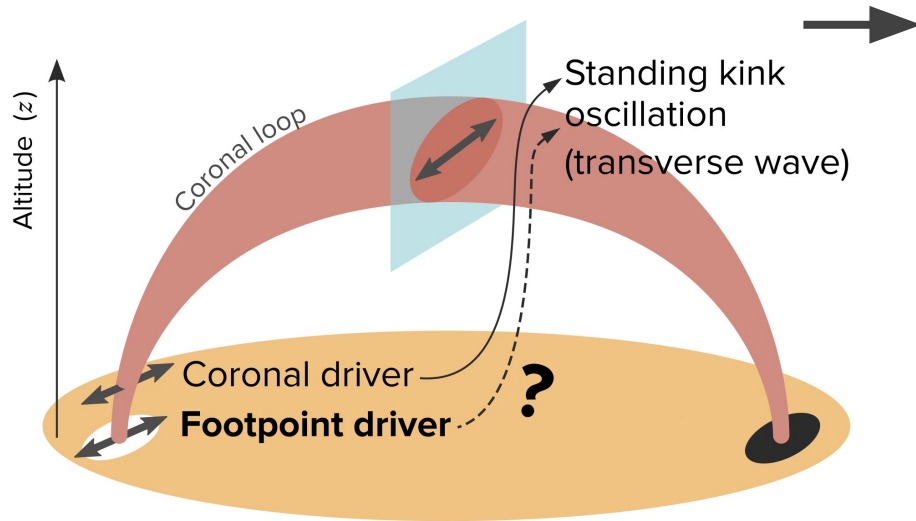


Kelvin-Helmholtz instability  
 → Energy dissipation

# Standing kink waves lead to heating in simulations

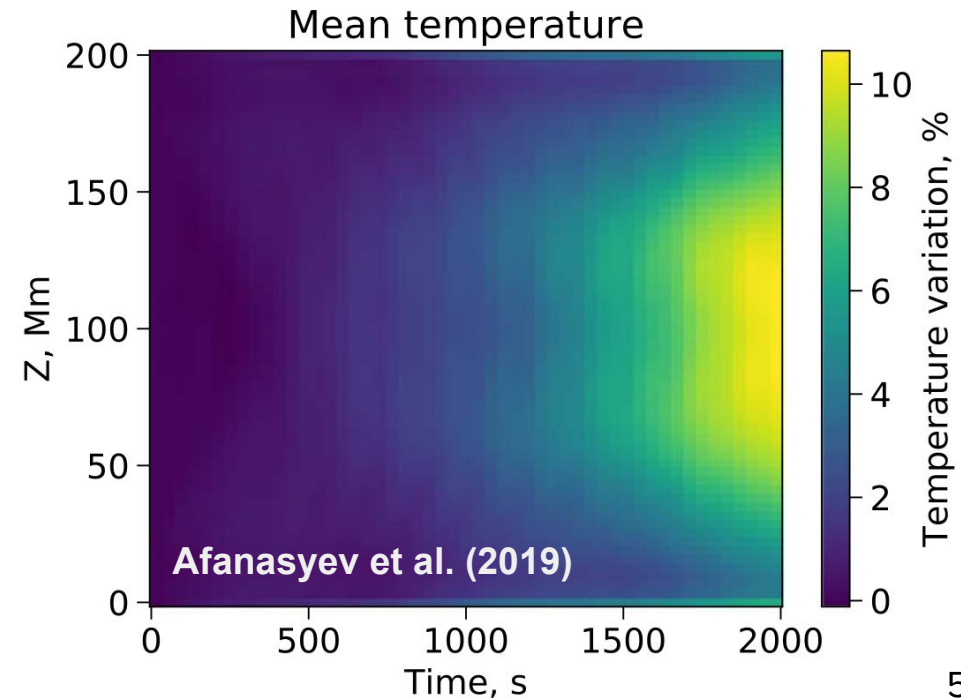
→ Simulations with driver at the bottom of the corona

(e.g. Karampelas et al. 2017, 2019a,b, Guo et al. 2019a, Afanasyev et al. 2019)

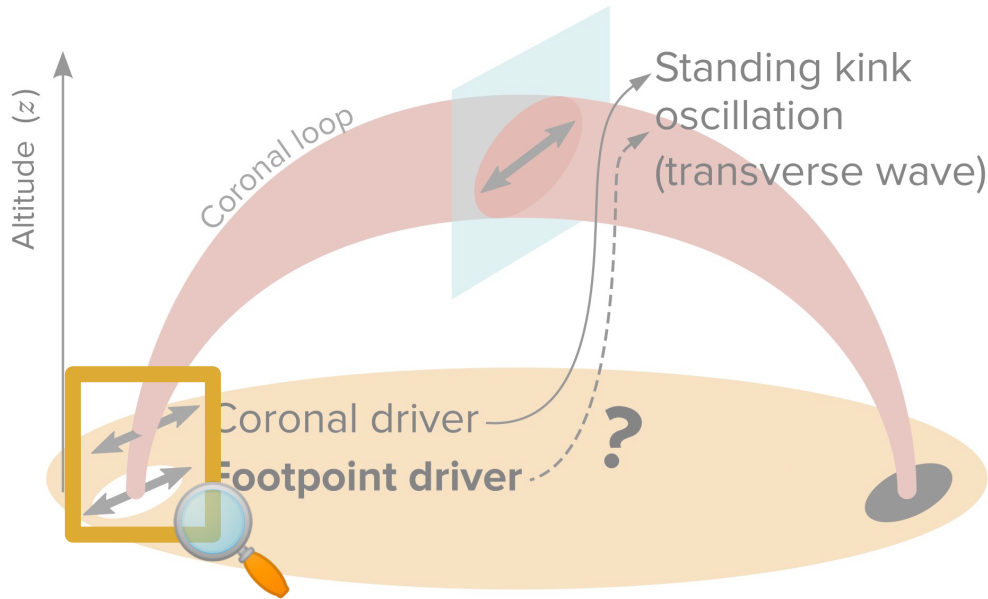


- Reproduce observations
- Lead to heating through the Kelvin-Helmholtz instability

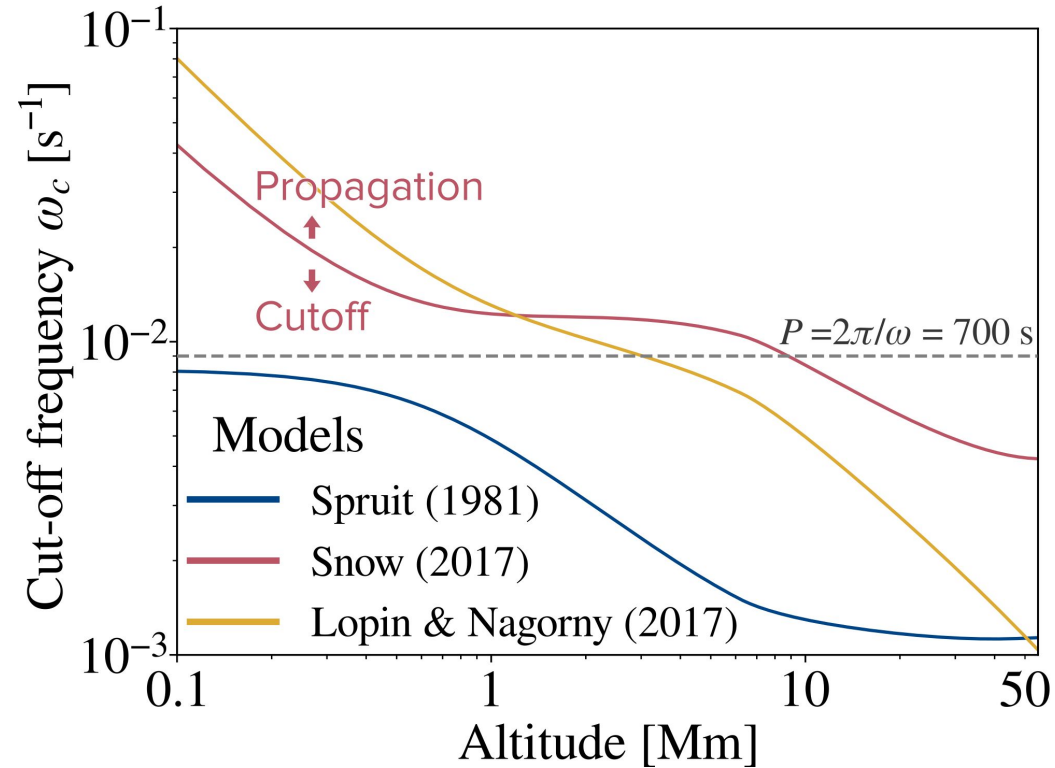
→ Is it still true if the driver is in the chromosphere?



# Transverse wave cut-off in the transition region



Analytically-predicted cut-off frequencies (several inconsistent expressions)



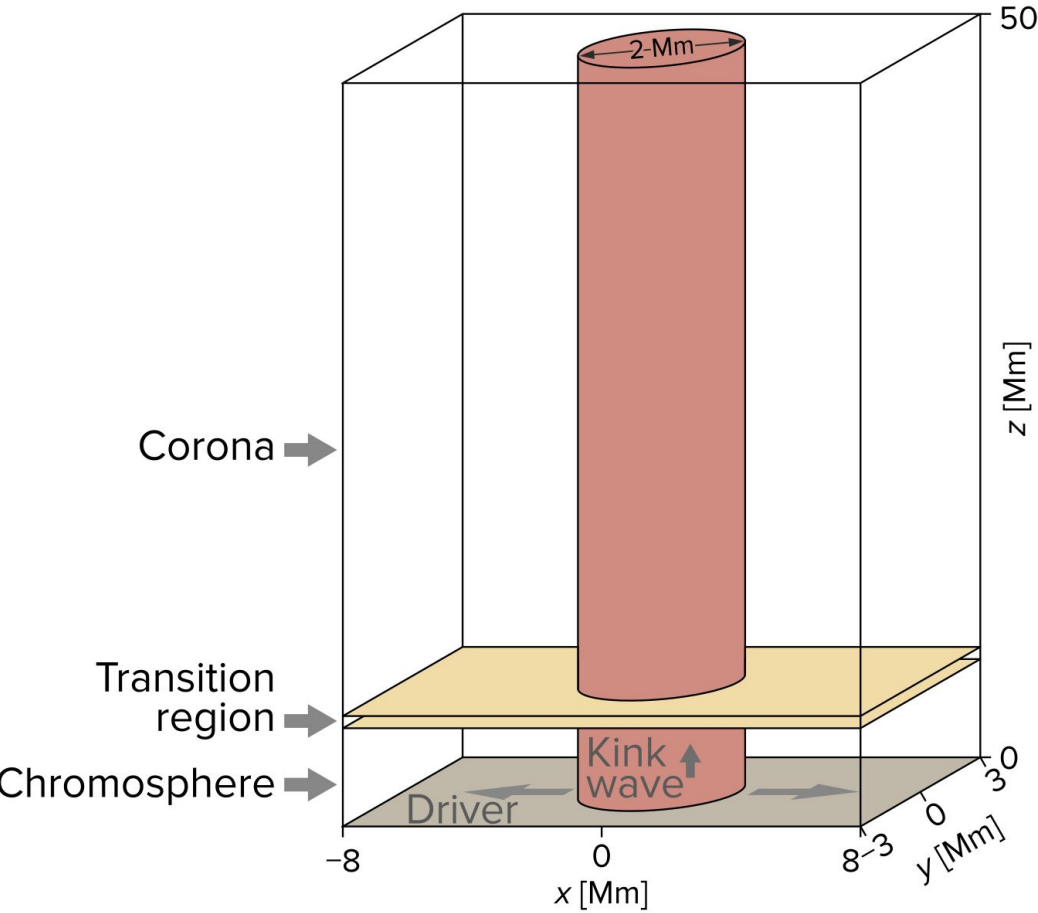
→ Not observed or simulated

→ Can transverse waves reach the corona?

→ Simulate propagation of kink waves in an open tube with chromosphere and TR

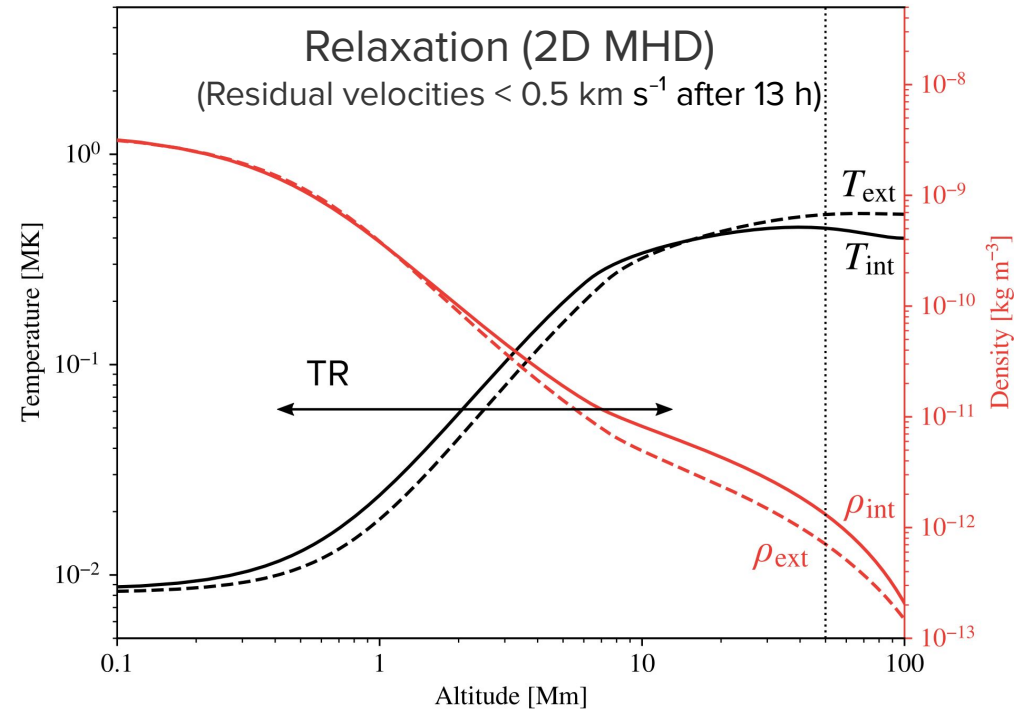
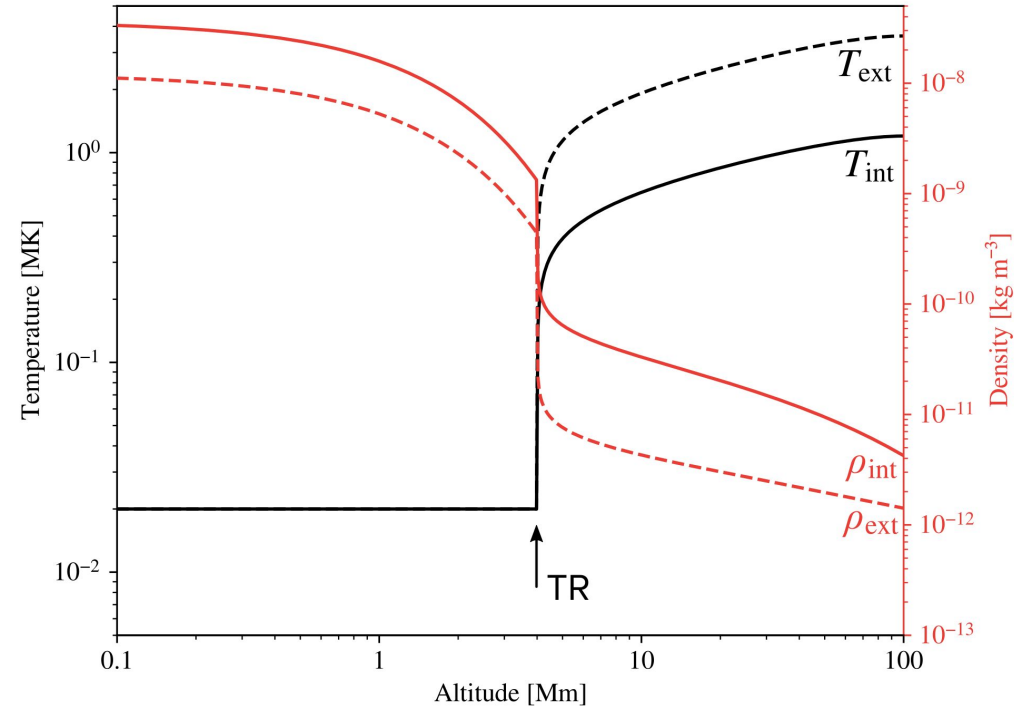
# 3D MHD numerical model

Magnetic flux tube in chromosphere, transition region and corona



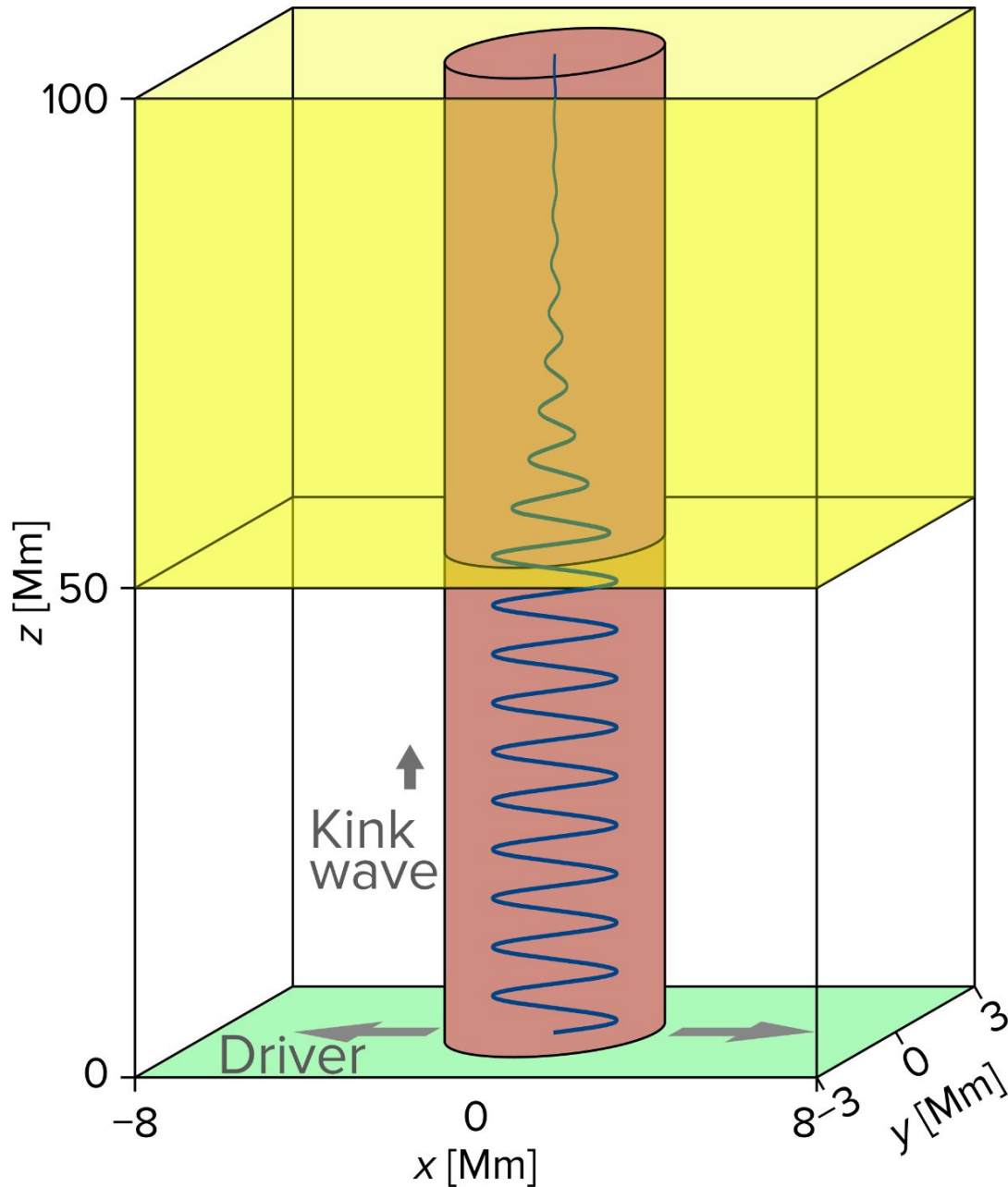
- PLUTO MHD code (Mignone et al. 2012)
- Thermal conduction
  - modified conductivity below 0.25 MK to broaden the TR (Lionello et al. 2009)

Initial conditions: field-aligned hydrostatic eq.



→ Converted to 3D

# Numerical model (3D): boundary conditions



## Upper layer ( $z > 50$ Mm)

Velocity rewrite layer → **absorb waves**

∇  $t$  rewrite velocity:

$$v(x, y, z) \leftarrow \alpha(z) v(x, y, z)$$

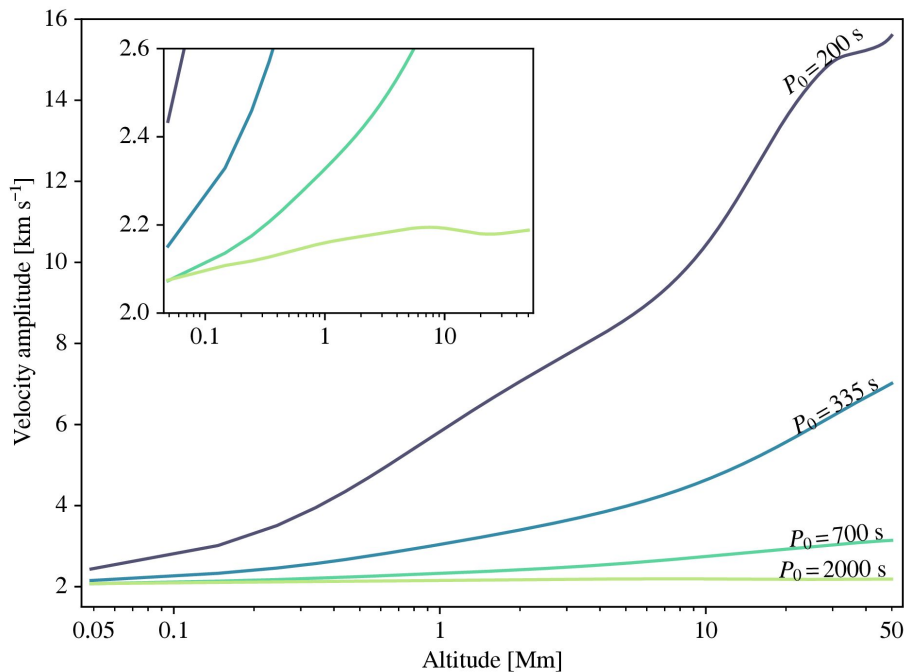
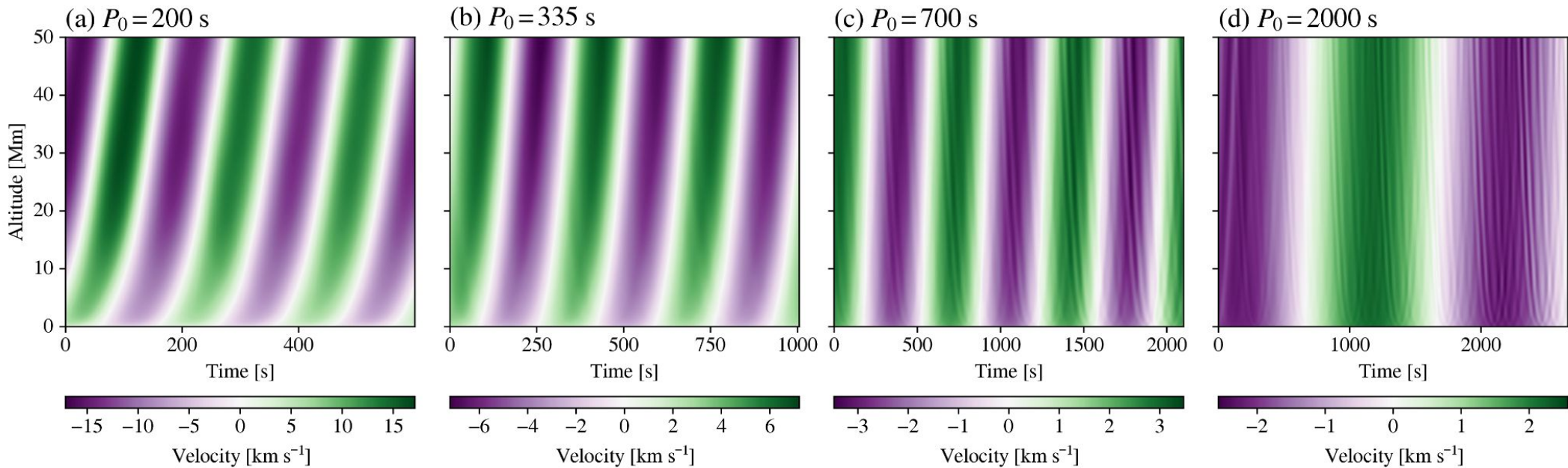
where  $\alpha(z)$  varies linearly from 1 to 0.9995 between 50 Mm and 100 Mm.

## Lower boundary ( $z = 0$ )

- Dipole-like driver (Pascoe et al. 2010)
- **propagating kink wave**



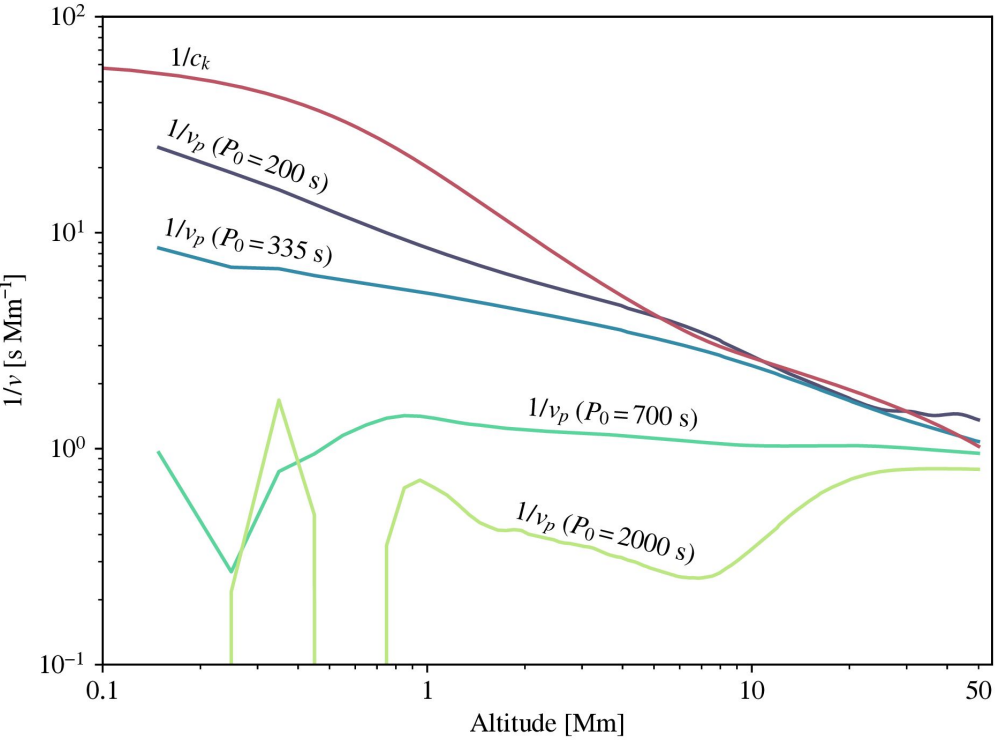
# Results: wave amplitude decreases with frequency



- Drive magnetic flux tube ( $v_0 = 2$  km s<sup>-1</sup>) in the chromosphere, at different periods
- Measure velocity amplitude as a function of altitude

- Velocity amplitude decreases with frequency
- **Higher frequencies propagate better** through the transition region
- **Consistent with analytical models** that predict a low frequency cut-off

# Results: phase speed shows cut-off



- Measure **phase speed** as a function of altitude  
 Compute the maximum cross-correlation between  $v_x(z - \Delta z/2)$  and  $v_x(z + \Delta z/2)$  to obtain time delay, and in turn phase difference.
- The inverse of the phase speed tells us whether a wave is propagating or not:

$$\frac{1}{v_p(z)} = \frac{\Delta\phi(z)}{\omega \Delta z} \begin{cases} \nearrow \sim 1/c_k \text{ propagating} \rightarrow \text{no damping} \\ \searrow \ll 1/c_k \rightarrow \begin{cases} \text{standing} \\ \text{evanescent} \rightarrow \text{damping} \end{cases} \end{cases}$$

→ **Transverse waves are cut-off through the transition region**

# Results: cut-off altitude matches analytical model

- Compute the **cut-off altitude**  $z_c(\omega)$ :  
Altitude at which  $c_k/v_p$  goes above threshold  $t_r < 1$ .
- Compare to analytical models:

## Spruit (1981)

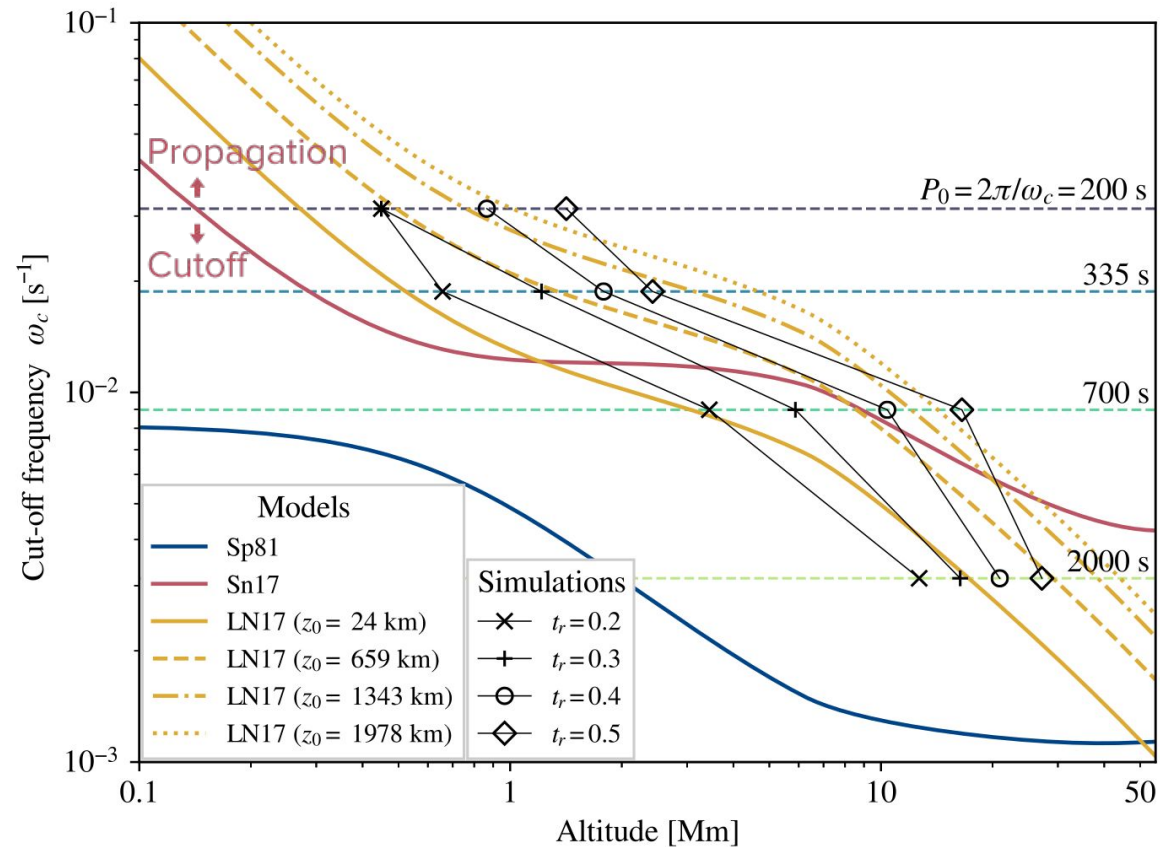
$$\omega_c^2 = \frac{g}{8H} \frac{1}{2\beta + 1}$$

## Snow (2017, NAM)

$$\omega_c^2 = \frac{v_A^2}{4z^2}$$

## Lopin & Nagorny (2017)

$$\omega_c^2 = \frac{c_{k0}^2}{4H_0 H(z)} \left( \delta_B^2 \frac{dH(z)}{dz} + \frac{H^2(z)}{z^2} \right)$$



→ The cut-off frequency is best predicted by Lopin & Nagorny (2017)

→ High-frequency waves can reach the corona by tunnelling

# Conclusions: kink waves cut-off

(Pelouze et al. 2022, in prep)

- **Transverse waves are cut-off in the transition region, as predicted by analytical models**
- **Identified the analytical model that best predicts the cut-off frequency (Lopin & Nagorny 2017)**
- **Cut-off waves can still reach the corona through tunnelling**

# Perspectives: heating by kink waves

Coronal loop with chromosphere and TR

Density at loop apex

