

# THE MAGNETOPAUSE: AN ALMOST TANGENTIAL INTERFACE BETWEEN THE MAGNETOSPHERE AND THE MAGNETOSHEATH



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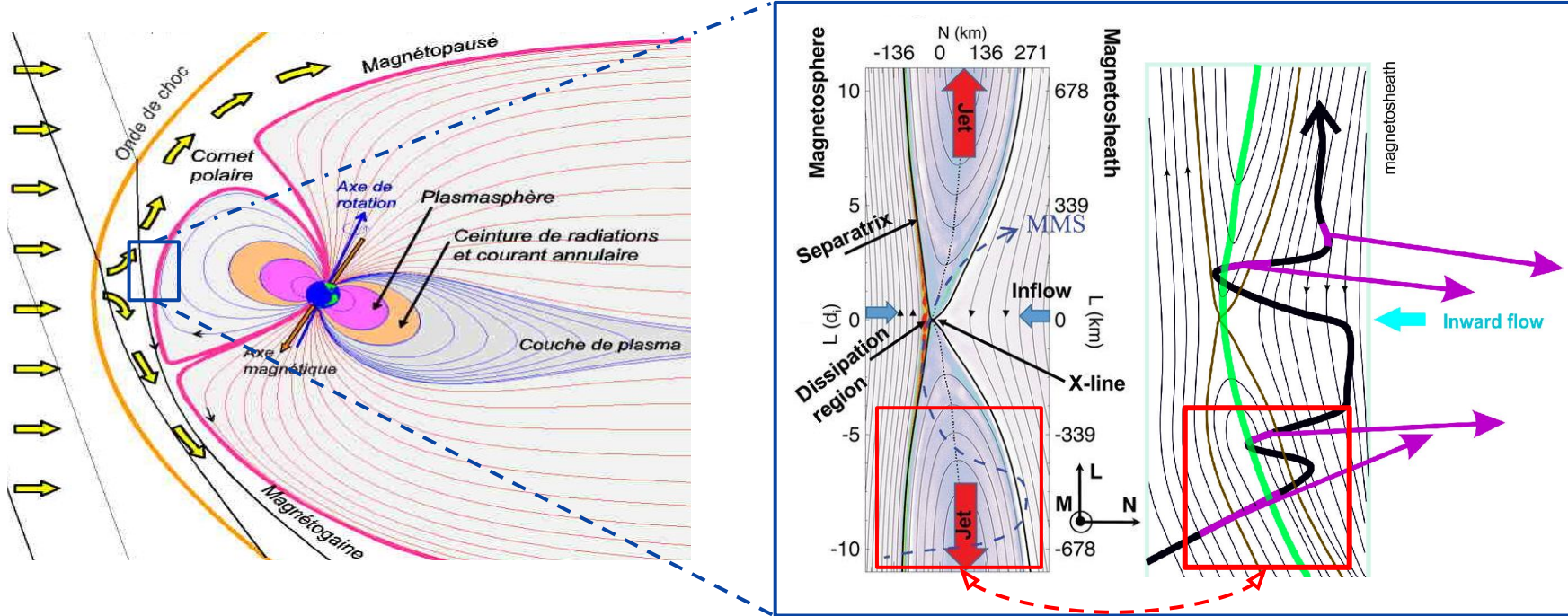
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# Magnetopause: Global vs Local



Focus on studying the internal structure of the discontinuity

# Magnetopause: Non-stationary and Non-planar



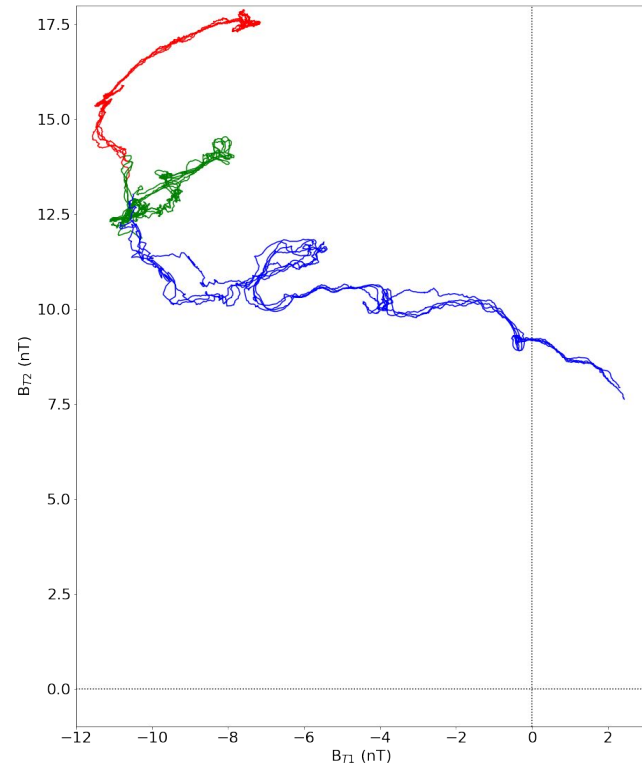
Data from MMS, 05/02/16

## Classic Theory of discontinuities

- Two solutions: purely rotational and compressive discontinuities

## Observations

- Compressional and rotational variations observed in a close vicinity
- The classic theory of discontinuities is insufficient for describing the magnetopause



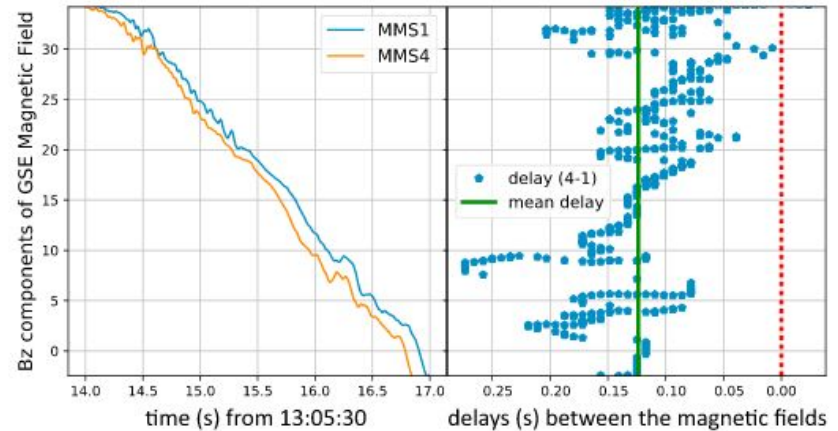
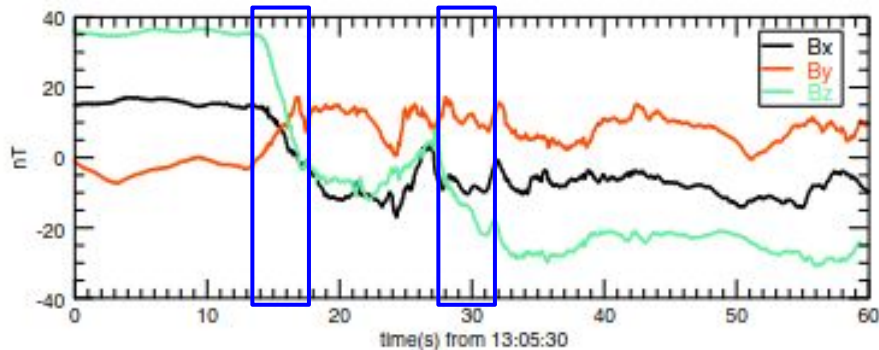
# Magnetopause: Non-stationary and Non-planar

Data from MMS, 16/10/15



## Nonstationarity

- Constant delay for a stationary boundary crossed at a constant velocity
- Variations with a mean value of the same order -or shorter- than the fluctuations



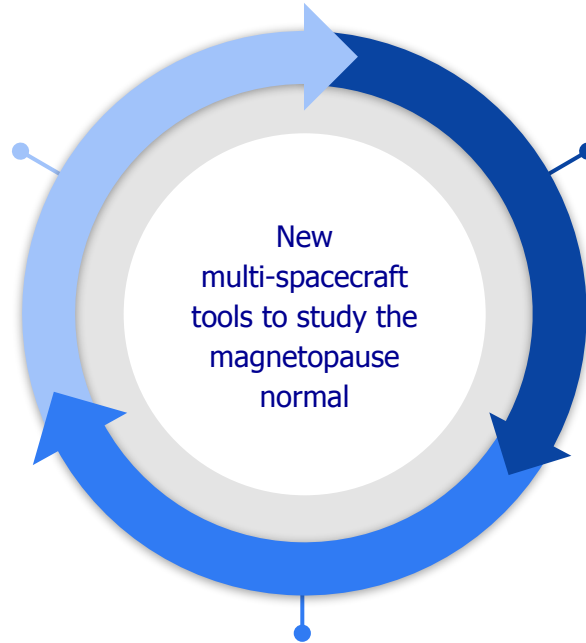
## Comparison of Normals

- Different normals in the two “subparts” of the same crossing

# Purpose



Assuming less strong hypotheses about its structure



Obtain the normal by using both

- Magnetic field data
- Ions velocity and density

Aiming at comparing the particles and fields structures

**Purpose:** obtaining the normal to the magnetopause by using the gradient matrix  $\mathbf{G}$  of the magnetic field

### Theoretical model

- ❖ Assume 1D structure

$$\mathbf{G}_{\text{fit}} = \mathbf{n} \mathbf{B}'$$

Variation of  $\mathbf{B}$  along the normal  
 $\mathbf{B}' = [\partial \mathbf{B}_x / \partial \mathbf{n}, \partial \mathbf{B}_y / \partial \mathbf{n}, \partial \mathbf{B}_z / \partial \mathbf{n}]$

Normal vector to the structure

### MMS Data

- ❖ Obtain  $\mathbf{G}$  by using reciprocal vector method

$$\mathbf{G} = \sum_s \mathbf{k}_s \mathbf{B}_s$$

+

Minimize the difference between  $\mathbf{G}$  and  $\mathbf{G}_{\text{fit}}$  to obtain the normal

**Purpose:** obtaining the normal to the magnetopause by using the gradient matrix  $\mathbf{G}$  of the magnetic field

### Theoretical model

- ❖ Assume 1D structure

$$\mathbf{G}_{\text{fit}} = \mathbf{n} \mathbf{B}'$$

- 2 free parameters for  $\mathbf{n}$
- 3 free parameters for  $\mathbf{B}'$
- Impose  $\nabla \cdot \mathbf{B} = 0$

→  $\mathbf{G}_{\text{fit}}$  depends on 4 parameters

### MMS Data

- ❖ Obtain  $\mathbf{G}$  by using reciprocal vector method

$$\mathbf{G} = \sum_s \mathbf{k}_s \mathbf{B}_s$$

+

Minimize the difference between  $\mathbf{G}$  and  $\mathbf{G}_{\text{fit}}$  to obtain the normal

↓  
Defined Magnetic normal  $\mathbf{n}_B$

# Purpose: obtaining the normal to the magnetopause by using the gradient matrix $\mathbf{G}$

## Theoretical model

- ❖ Assume 1D structure

$$\mathbf{G}_{\text{fit}} = \mathbf{n} \cdot \mathbf{qv}_i$$

- 2 free parameters for  $\mathbf{n}$
- 3 free parameters for  $\mathbf{qv}_i$
- Impose  $\nabla \cdot (\mathbf{qv}_i) = -\partial_t \rho$

→  $\mathbf{G}_{\text{fit}}$  depends on 4 parameters

## MMS Data

- ❖ Obtain  $\mathbf{G}$  by using reciprocal vector method

$$\mathbf{G} = \sum_s \mathbf{k}_s \cdot (\mathbf{qv}_i)_s$$

+

Minimize the difference between  $\mathbf{G}$  and  $\mathbf{G}_{\text{fit}}$  to obtain the normal

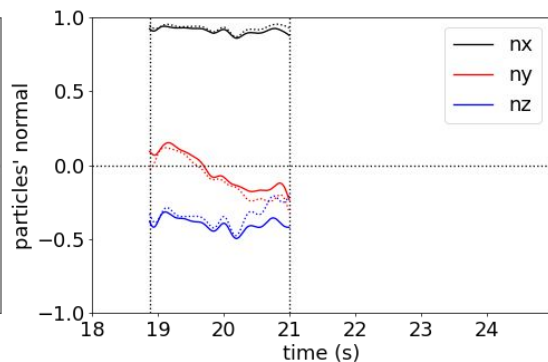
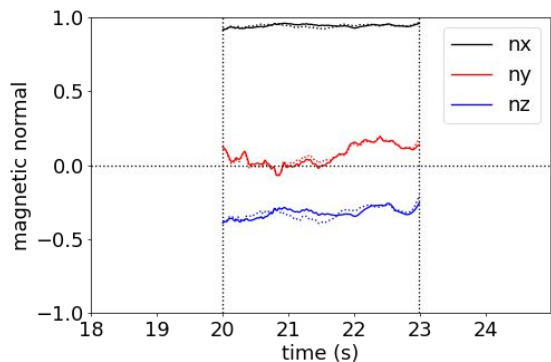
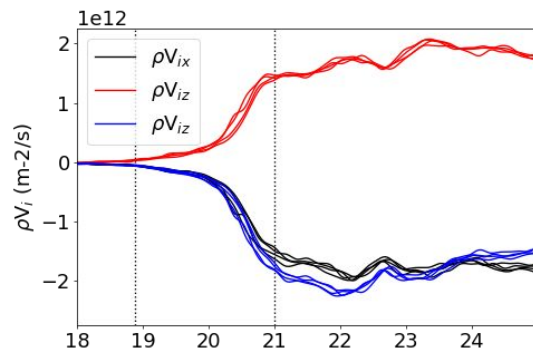
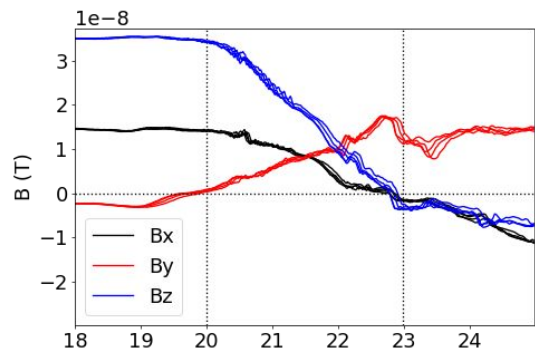
Linked by a different relation

Defined Particles' normal  $\mathbf{n}_{\text{ions}}$

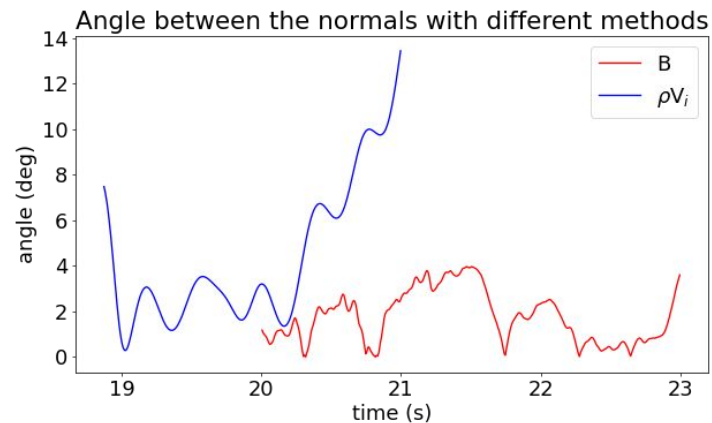


# Results: Comparison with MDD tool (Shi et al, 2006)

Data from MMS, 16/10/15

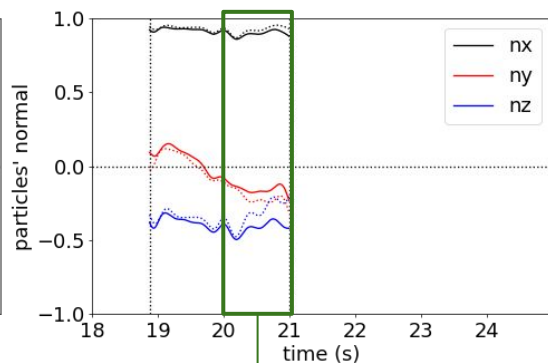
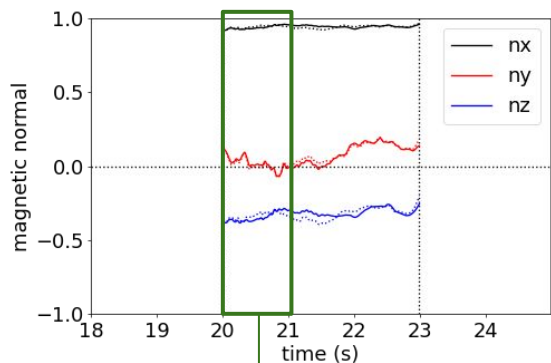
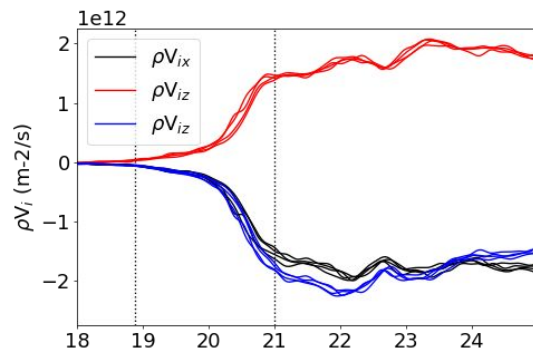
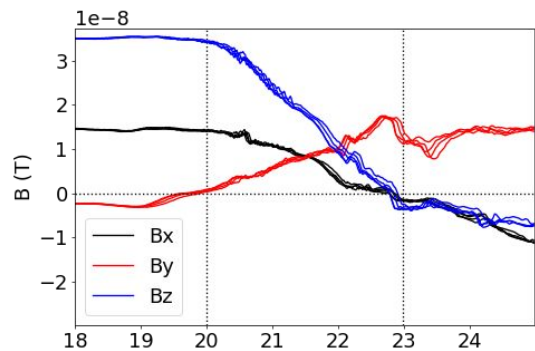


- New tool: continuous line
- MDD: dotted line
- Agreement between the two methods



# Results: Magnetic field vs Ions velocity

Data from MMS, 16/10/15



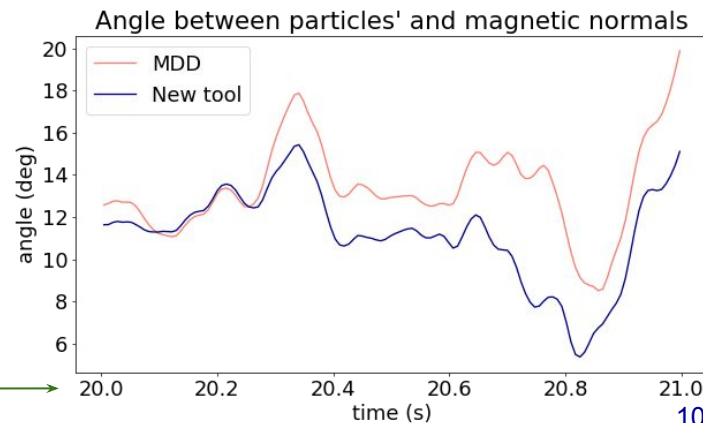
zoom on the common gradient time interval

Obtain a tilt angle between the magnetic and particles' normals

Avg. angle:

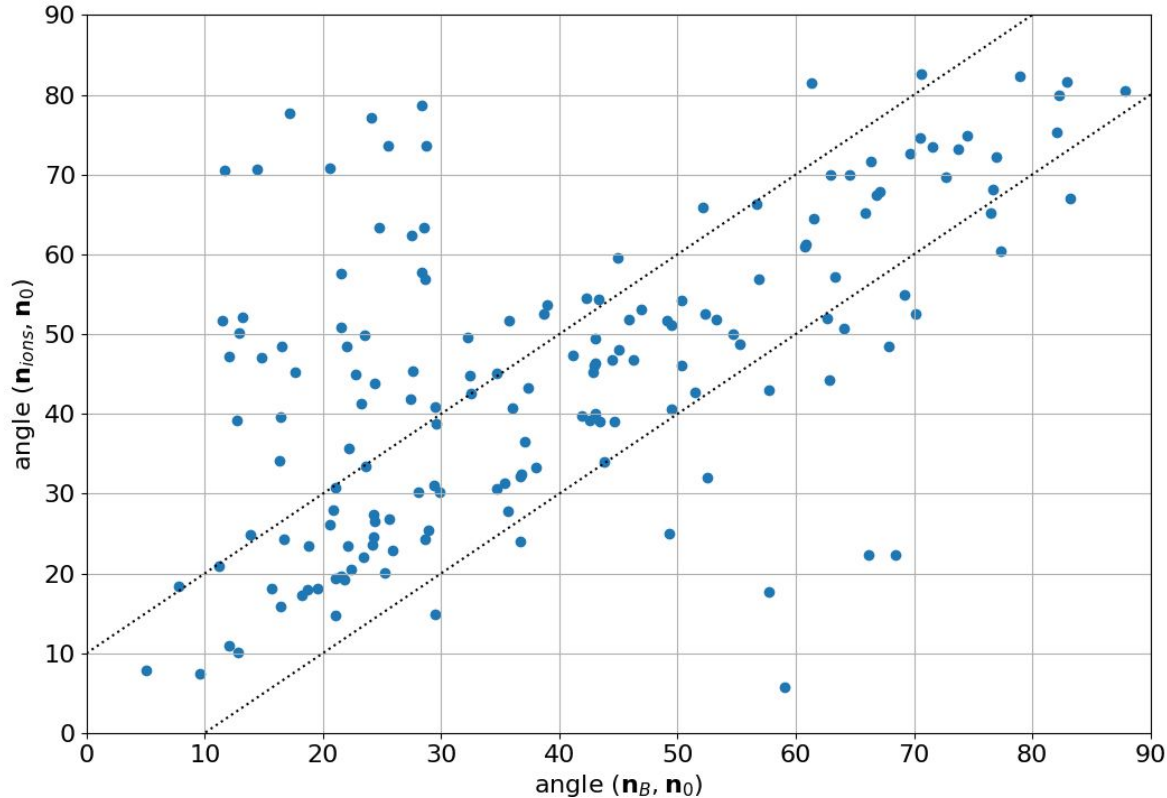
➤ **MDD:** 10.7 deg

➤ **New tool:** 9.2 deg



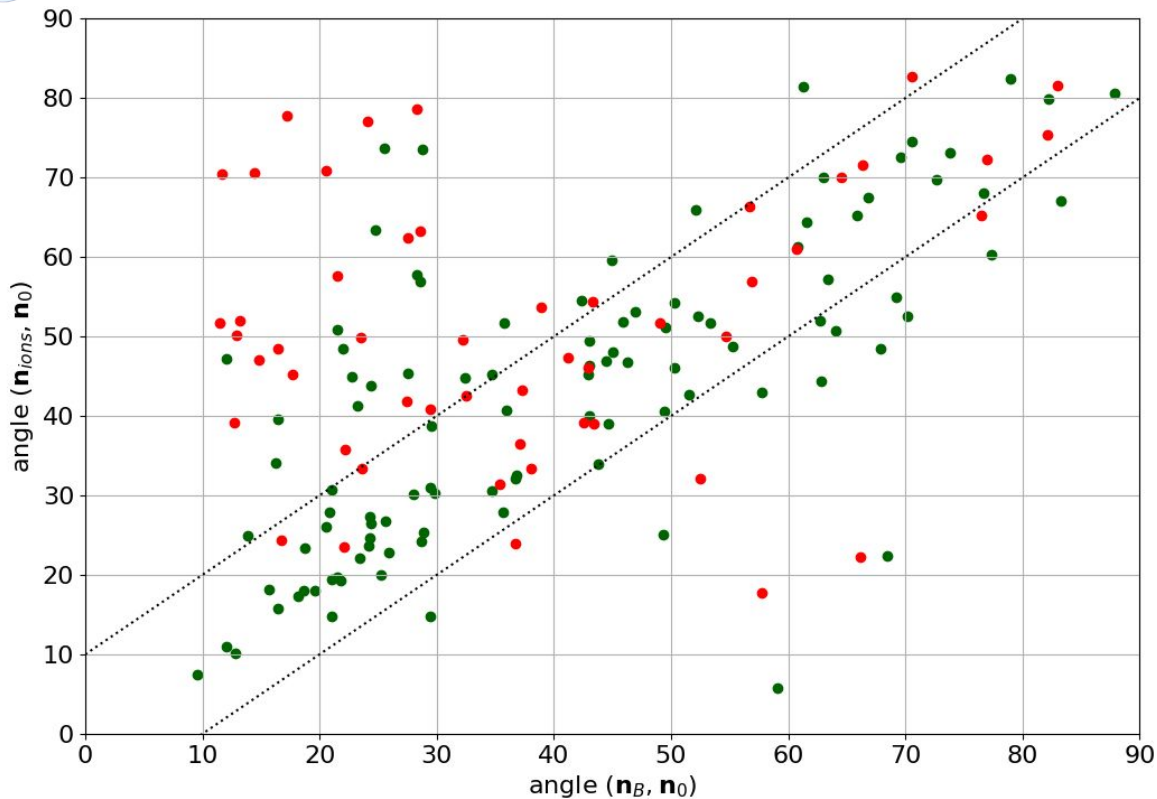
# Statistical study

\*  $n_0$  : Nominal normal (Shue et al (JPR, 1997))



- Done on  $\sim 150$  crossings
- Selected by using the results by Michotte de Welle et al (Prep, 2022)
- Mean angle between the magnetic and particles' normals: **26 deg**
- Correlation: **0.56**

# Statistical study: Southward vs Northward SW



## Southward SW Magnetic Field

- Cases: 103
- Correlation: 0.70
- Mean angle between the magnetic and particles' normals: 24.0 deg

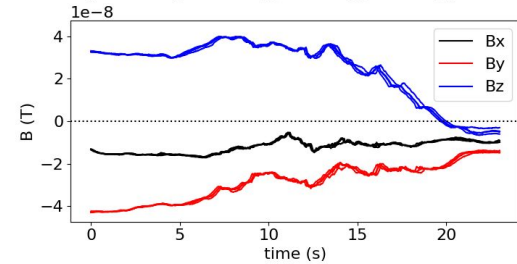
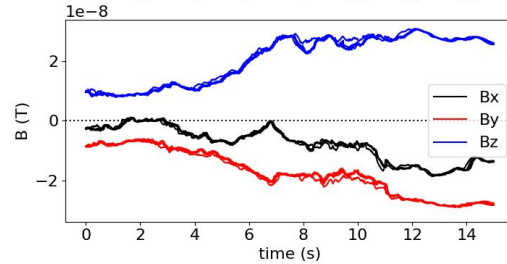
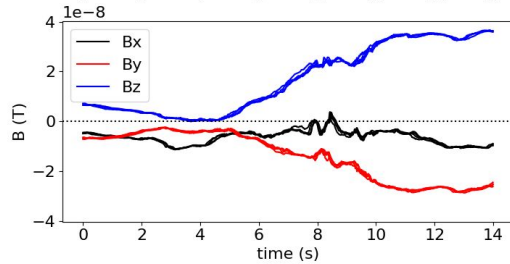
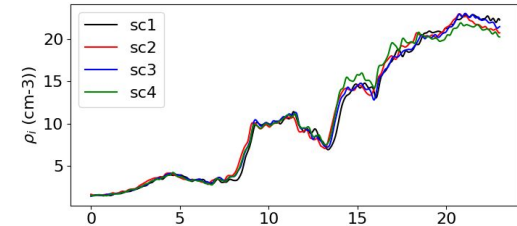
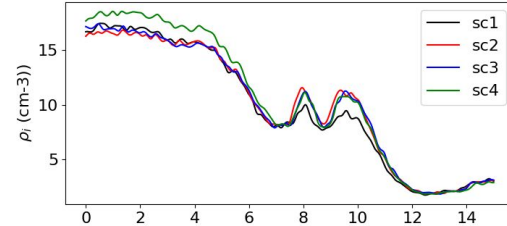
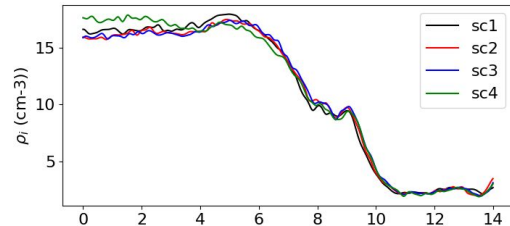
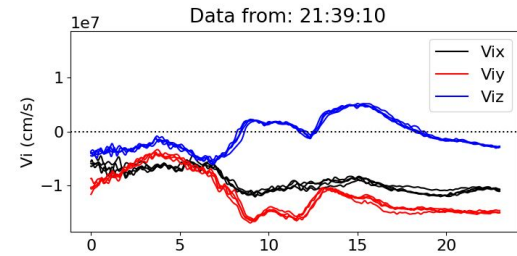
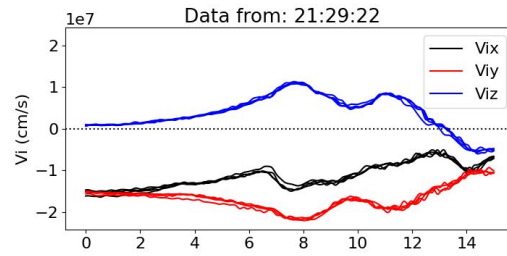
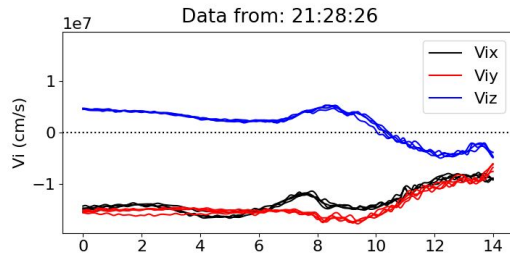
## Northward SW Magnetic Field

- Cases: 51
- Correlation: 0.24
- Mean angle between the magnetic and particles' normals : 32.2 deg

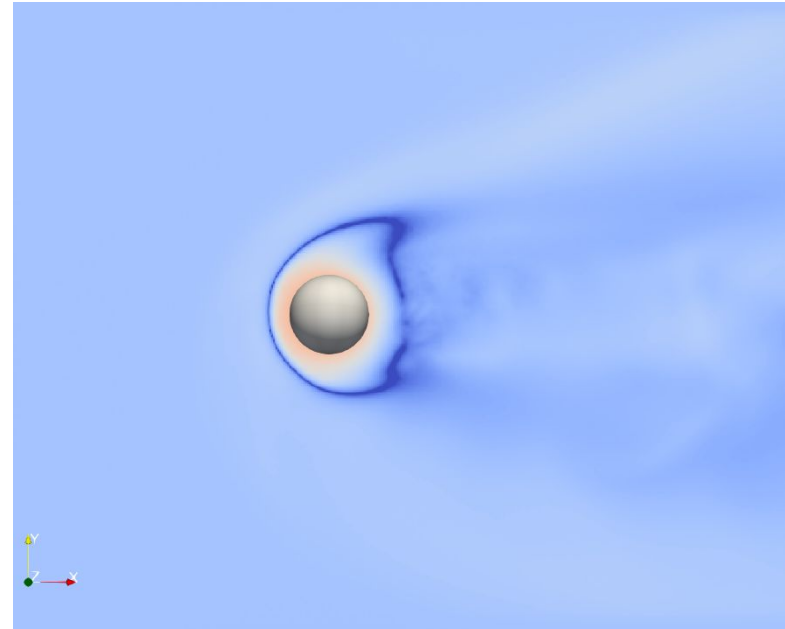
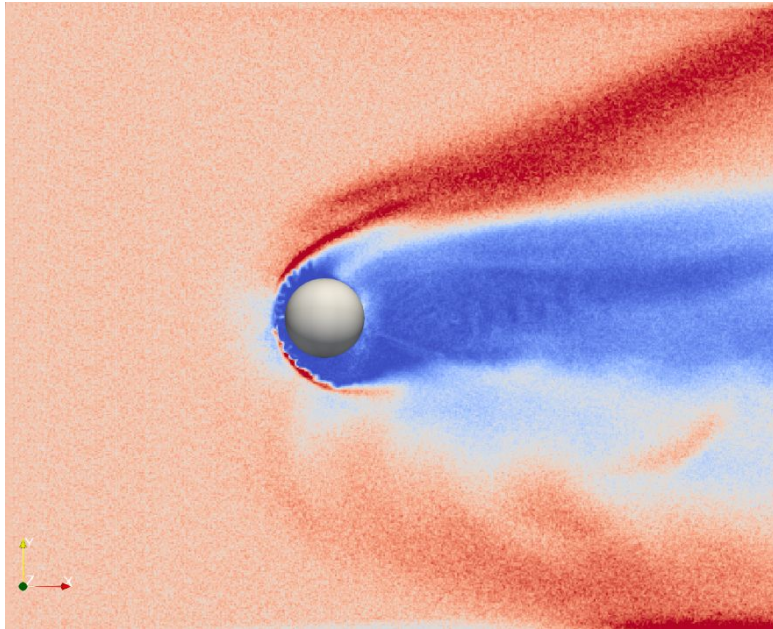
# Crossing of 05 February 2016 - Out of the diagonal data

➤ 3 crossings in 10 minutes

➤ Same two parts crossing in all cases



# Virtual satellites on two PIC simulations



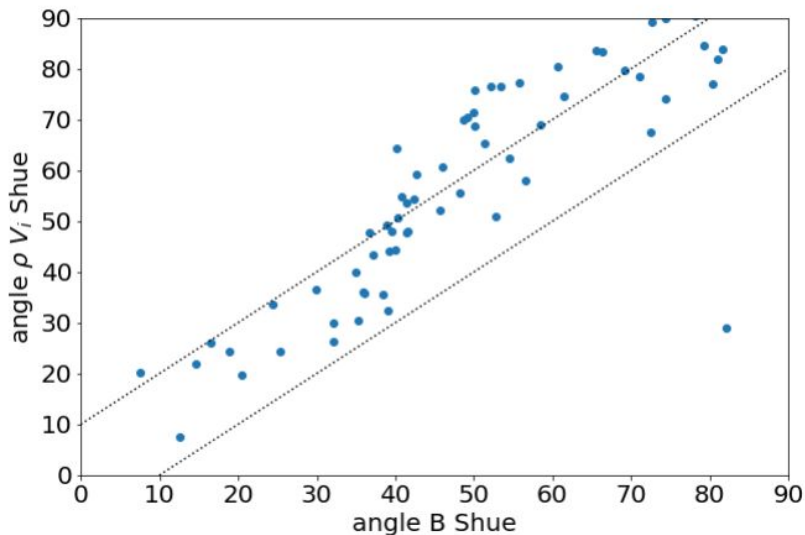
- Simulations run by Federico Lavorenti (OCA, UniPi)
- Purely Northward and Southward SW magnetic field

# Virtual satellites on two PIC simulations



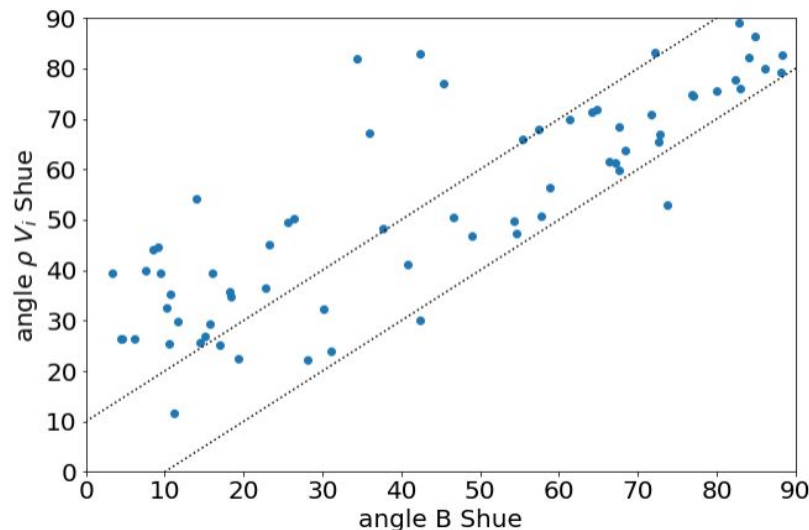
## Purely Southward SW Magnetic Field

- 100 random crossings with interpolation
- Correlation: 0.88
- Mean angle between magnetic and particles' normals : 20.5 deg



## Purely Northward SW Magnetic Field

- 100 random crossings with interpolation
- Correlation: 0.79
- Mean angle between magnetic and particles' normals : 24.6 deg



# Conclusions and Future Perspectives



## A new tool

- Allows us to compare particles and magnetic field structures
- Agreement with MDD method

## Future perspectives

- Determine the precision of the normals
- Study cases with different magnetic and particles' normals



# Thank you for any feedback



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